

Don't bore your cores!

Anders Ahlgren Mercur Solutions AB



Hardware? We don't need no stinkin' hardware!

- Java "protects" us from hardware details
- We usually use a simplified mental model of execution
- Most of the time, this is good
- Sometimes, it can mislead us, and hold us back

Unless stated otherwise, examples were measured on Intel Core i7 mobile 'Skylake' 2.6 GHz / 2133 MHz memory, Oracle JVM 1.8, server 64-bit, compressed oops



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Test mental model #1: parallel stream speedup

long[] a; // large array

long s = Arrays.stream(a).sum();



. . .

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— *VS* —

. . .

long s = Arrays.stream(a).parallel().sum();

The speedup is limited by memory transfer speedCore i7 (1-4-2): \approx 1.9 times faster40 vCPU Xeon (2-12-2): \approx 5-8 times faster(Xeon memory in performance mode)

Test mental model #2: ordering of operations

```
static int fun(int[] a) {
    int result = 1;
    for (int i = 0; i < a.length; i++)
        result = result * i + a[i]; // variation (a)
    return result;
}</pre>
```

How does performance change if loop body is replaced by:

result = result + i * a[i]; // variation (b)



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How does performance change if loop body is replaced by:

result = result + i * a[i]; // variation (b)

(b) is faster than (a)

 \approx 3 times faster

Test mental model #3: size of binary search

Arrays.binarySearch(int[] a, int key)

Assume many calls made, same a, different key-s, and compare performance of:

(a) Power of 2: a.length is $4,194,304 = 2^{22}$ (b) Slightly larger: a.length is $4,198,399 = 2^{22} + 4095$



Test mental model #3: size of binary search

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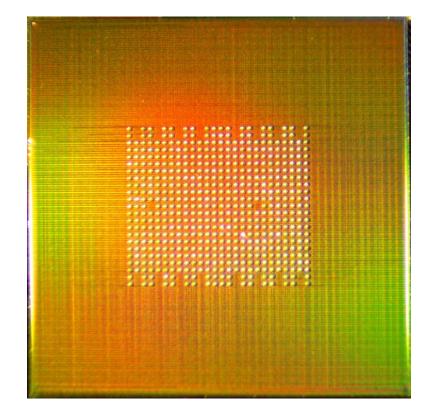
(a) Power of 2: a.length is $4,194,304 = 2^{22}$ (b) Slightly larger: a.length is $4,198,399 = 2^{22} + 4095$ (b) is faster than (a)

 \approx **1.4** times faster



Multi-core world, or monster-core world?

- Intel Xeon Broadwell-E5 (22 cores), 2016: 7,200 M transistors (14 nm), or
 327 M transistors / core
- UC Davis KiloCore (1,000 cores), 2016:
 621 M transistors (32 nm*), or
 - 0.6 M transistors / core
 - * For context, **32 nm** Intel Core was released January **2010**



KiloCore die (Image source UC Davis)



Ordering of operations revisited

(a) r = r * i + a[i];

(b) r = r + i * a[i];

CPU can execute instructions in parallel

Can't start computation until inputs available (duh!)

- JVM unrolls loops, body repeated 8 times (or 4, or...)
- (a) basically multiply / add (\approx 4.3 cycles / iter if 8-way)

(b) unrolled body: load / multiply / add / drain pipeline (\approx 1.4 cycles / iter if 8-way, \approx 2.1 if 4-way)



Image by Patrick Bell from Haddonfield, NJ, USA - new 6-5-06 064, CC BY 2.0, <u>https://commons.wikimedia.org/w/index.php?curid=2187985</u>



DIY unrolling: the "before" picture

```
// Taken from java.util.Arrays
public static int hashCode(int a[]) {
    if (a == null)
        return 0;
    int result = 1;
    for (int element : a)
        result = 31 * result + element;
    return result;
```



31 * r

to

moderate,

 \approx **1.3** times

DIY unrolling: the "before" picture

```
// Taken from java.util.Arrays
                                            JVM will optimize
public static int hashCode(int a[]) {
    if (a == null)
        return 0;
    int result = 1;
                                              (r << 5) - r
    for (int element : a)
                                             Gain on x86 is
        result = 31 * result + element;
    return result;
```



DIY unrolling: the expansion

 $31 \cdot r_7 + a_7$ $31 \cdot (31 \cdot r_6 + a_6) + a_7$ $31 \cdot (31 \cdot (31 \cdot r_5 + a_5) + a_6) + a_7$ $31 \cdot (31 \cdot (31 \cdot (31 \cdot r_4 + a_4) + a_5) + a_6) + a_7$ $31 \cdot (31 \cdot (31 \cdot (31 \cdot (31 \cdot (31 \cdot r_3 + a_3) + a_4) + a_5) + a_6) + a_7)$ $31 \cdot (31 \cdot (31 \cdot (31 \cdot (31 \cdot (31 \cdot (31 \cdot r_2 + a_2) + a_3) + a_4) + a_5) + a_6) + a_7$ $31 \cdot (31 \cdot$ $31 \cdot (31 \cdot$



DIY unrolling: the "after" picture

```
int result = 1;
for (int i = 0; i < a.length - 7; i += 8) {
    result = 0 \times 94446F01 * result
           + 0x67E12CDF * a[i] + 887503681 * a[i+1]
           + 28629151 * a[i+2] + 923521 * a[i+3]
                 29791 * a[i+4] +
                                         961 * a[i+5]
           +
                     31 * a[i+6] +
                                               a[i+7];
           +
for (int i = a.length & \sim 7; i < a.length; i++) {
    result = 31 * result + a[i];
return result;
```

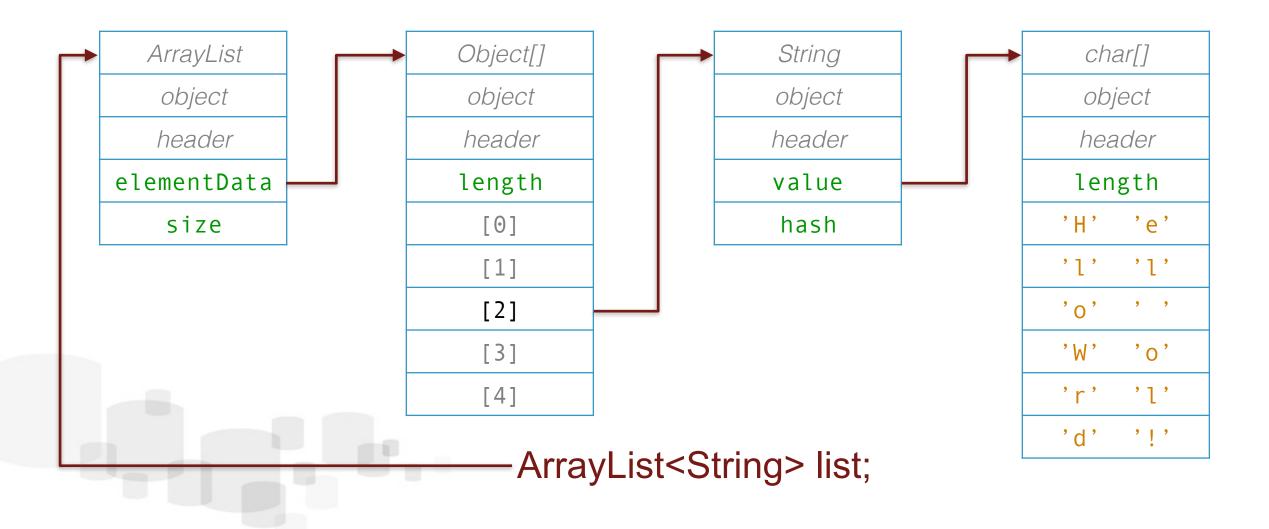


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           +
for (int i = a.length & \sim 7; i < a.length; i++) {
    result = 31 * result + a[i];
return result;
                                              \approx 1.9 times faster
```



Chasing references





String[] a = Files.lines(file.toPath())
 .toArray(n -> new String[n]);

```
... This is the part we are measuring:
```



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• No guarantees about location of objects

- In practice, starts in order: a[0], a[0].value, a[1], a[1].value, ...
- GC fragments, here each consecutive run averages ≈15 strings

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Arrays.sort(a); // Seems innocent enough?

```
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Arrays.sort(a); // Seems innocent enough?

```
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```

 \approx 4 times slower



... This is the part we are measuring:



... This is the part we are measuring:

 \approx 7 times slower



Experimenting with locations: Chasing int

- Want to investigate location effects details
- Clearly, quite tricky using object references...
- Instead, array of int (assuming compressed oops; otherwise long)

```
static int chaseInts(int[] a) {
    int t = 0;
    for (int i = 0; i < N; i++)
        t = a[t];
    return t; // beware dead code in micro benchmarks
}</pre>
```

You won't believe how slow memory can be

Running chaseInts on a large array with random "jumping around": 1,000,000,000 iterations \approx 130 s \approx 130 ns; \approx 340 cycles per iteration (test system is 2.6 GHz)

Each iteration reads 4 bytes from memory

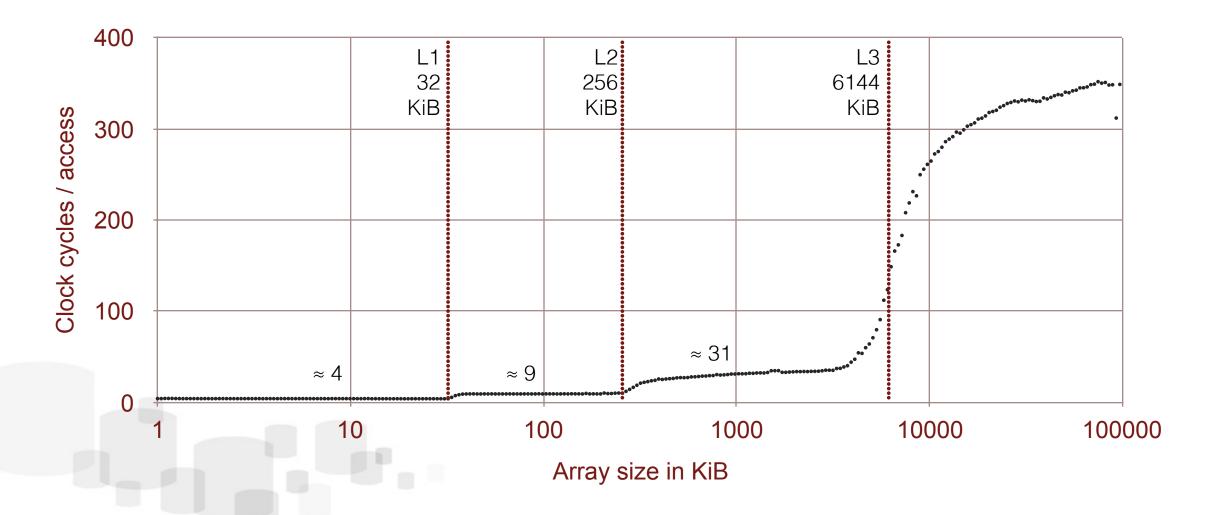
4 B \cdot 1,000,000,000 / (130 s) \approx 30 MB/s

20 times slower than SATA 3 SSD...!

Reading SSD sequentially, so unfair comparison



That's where the caches come in...



Cache lines, pre-fetching, and dependencies

Caches handle data in blocks (64 byte on x86), called *cache lines* \Rightarrow cheaper to access several locations in the same cache line

Sequential access makes processor *pre-fetch* next cache line into L1 (unless crossing memory page boundary)

The chaseInts method is bounded by L1 latency (4 cycles), because the loads are data dependent — can't be done in parallel

Compare Arrays.stream(a).sum() which is \approx 4 times faster



TMI...?

"64 byte cache lines" "32KiB L1 data cache"

- Should we really hard-wire assumptions about size of cache lines, and sizes of the different levels of caches into Java code...?!
- Computer science answer: The class of cache-oblivious algorithms will work regardless of details about the caches
- Practical answer: Getting the sizes wrong is much better than ignoring the existence of caches

So — how does all this change how we code?

- Some techniques are generally applicable good practice:
 - Move fields to class that actually use them
 - Don't design data structure first and adapt code to fit them; instead evolve both iteratively to harmonize with each other
- Don't break things down in "systematical" order, but rather in frequency order — focus on the *happy-path*
 - The real power of this comes from synergy effects

The bad news: no big gain without big pain

Serious cache-optimization on JVM require* low-level, time-consuming, and perhaps ugly, rewrites.

* There are ObjectLayout project (and of course Project Valhalla)

We should forget about small efficiencies, say about 97% of the time: premature optimization is the root of all evil. Yet we should not pass up our opportunities in that critical 3%.

Donald E. Knuth

Don't *have* a critical 3%? More of 80-20 rule, perhaps? That might be fixable by designing differently

Going primitive

Not that painful. Really. Remember, just in the 3%.
 Sort? Why would you want to sort?
 What, you want strings too? No-one uses strings anymore!



The back-and-forth compromise

- Translate back-and-forth between arrays-of-primitives and array-of-object!
- Could be "original" object (like Point), or represented by an inner class: private class Pointy { final int index; ... // hashCode, equals, ...
- Most important use cases work directly on the arrays of primitives, less important can take the detour (in particular sorting and hashing)
- Bored processor has computational resources to spare
- Arrays-of-primitive pre-fetches, array-of-object are done in blocks fitting cache
 - Even "Location, Location, Location" example only \approx 1.4 times slower



Bit-twiddling for fun and profit

- Algorithms depending on tricky bit-twiddling are often fast (and a lot of fun!) but not all that common
- Simple, light-weight packing of data is nearly always a gain, and very frequently applicable
 - Often, you can fit quite a lot into a handful of long
- BitSet (and similar) are sadly under-utilized make a habit of looking for new use-cases for them



Complexity cache clues

Linear: exploit pre-fetching (duh!)

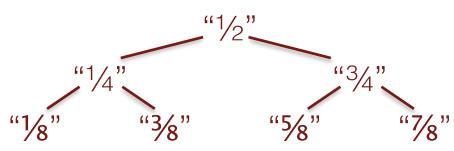
Super-linear: pre-fetching + splitting data in cache-sized blocks (explicitly, or automagically through divide-and-conquer) Merge sort and quicksort good, heapsort bad

Sub-linear: exploit cache lines Contrast B-trees with binary trees Linear probing and K-V-K-V layout for hashing



Example: Binary search and cache lines

- Binary search works on an array, but treats it like a tree
 - Depth 0: nodes at:
 - Depth 1: nodes at:
 - Depth 2: nodes at:



- "Top of the tree" is small, so several levels fit into cache
 - But if $n = 2^{m+k}$, top k level indices share low m bits \Rightarrow cache conflicts
 - Only a single element is used in each cache line
- "Bottom of the tree" is consecutive locations; good for cache lines



An even more cache-friendly alternative

- Imagine Array.binarySearch(int[] a, int key) is critical, on an array that doesn't fit cache (a bit far fetched; it's just an example...)
- Introduce a new class wrapping the array:

```
IntSearcher searcher = new IntSearcher(a);
```

```
int ip = searcher.binarySearch(key);
```

- IntSearcher adds second array encoding a 16-way tree
 - Size roughly a.length/16 + a.length/256 + a.length/4096 +...



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 - Size roughly a.length/16 + a.length/256 + a.length/4096 +...

 \approx **1.5** times faster

The "string free zone"

- In bordered-off region, represent (relevant) strings with int
 - Say, content of specific column in a database shard
- When (relevant) string enters a region, it is translated to int
 - If compareTo is important, translation may reflect ordering
- When (relevant) string exits the region, translate back
- Advantages: cache locality, footprint, fast compareTo,...
- Needs few strings enter, especially (in ordered cases) those not already represented in the region (may invalidate mapping)



Typical optimizing cycle

- 1. Profile your program on important use case
- 2. Find the largest bottleneck, and address it
- 3. Repeat until you are happy, or optimization budget spent, or diminishing returns hurts too much
- Great for finding bugs, like accidental n² behavior
- Hill-climbing gets you higher, but often miss the top
- 90-10 or 80-20 rule \Rightarrow quickly diminishing returns



"Distilling" code before normal optimize

- 1. Describe the absolute core of what needs to be done in a simple way, omit annoying parts
- 2. Can you do anything to make reality closer to description? Try to move (not necessarily remove) stuff from the core code
 - Pre- and post-processing
 - Transformation to other data structures
- 3. Re-apply happy path and data/code harmony ideas

4. Repeat and refine

May get you from Pareto's 80-20 to Knuth's "critical 3%"

Closing words

- Understanding modern hardware is the first step
- How much effort should *you* spend on performance?
- Which techniques applies to *your* problem?
 - You will have to adapt them to your situation
 - You *may* need to invent new ones
- If it were easy, we would be the ones bored, right?



Any questions?

